

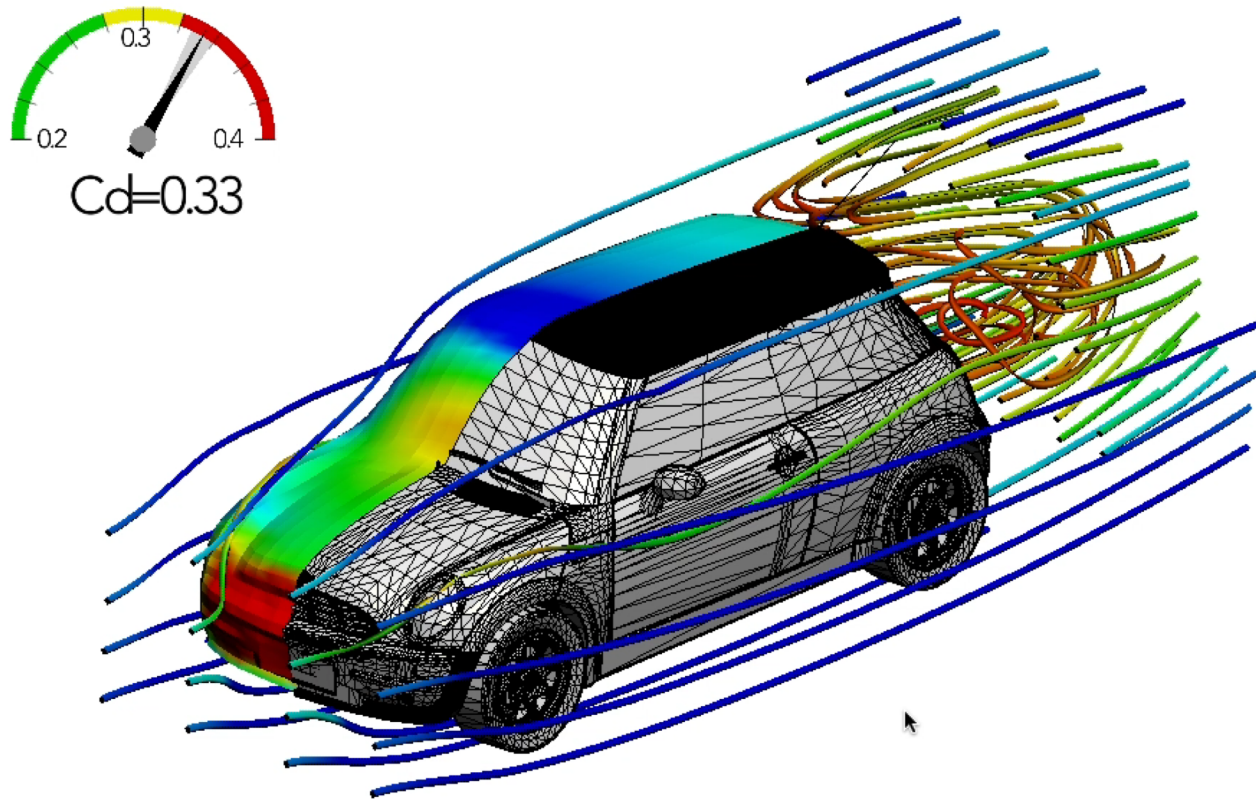
Learning Three-dimensional Flow for Interactive Aerodynamic Design

Nobuyuki Umetani¹, Bernd Bickel²



Motivation

- Predicting aerodynamics at an interactive rate



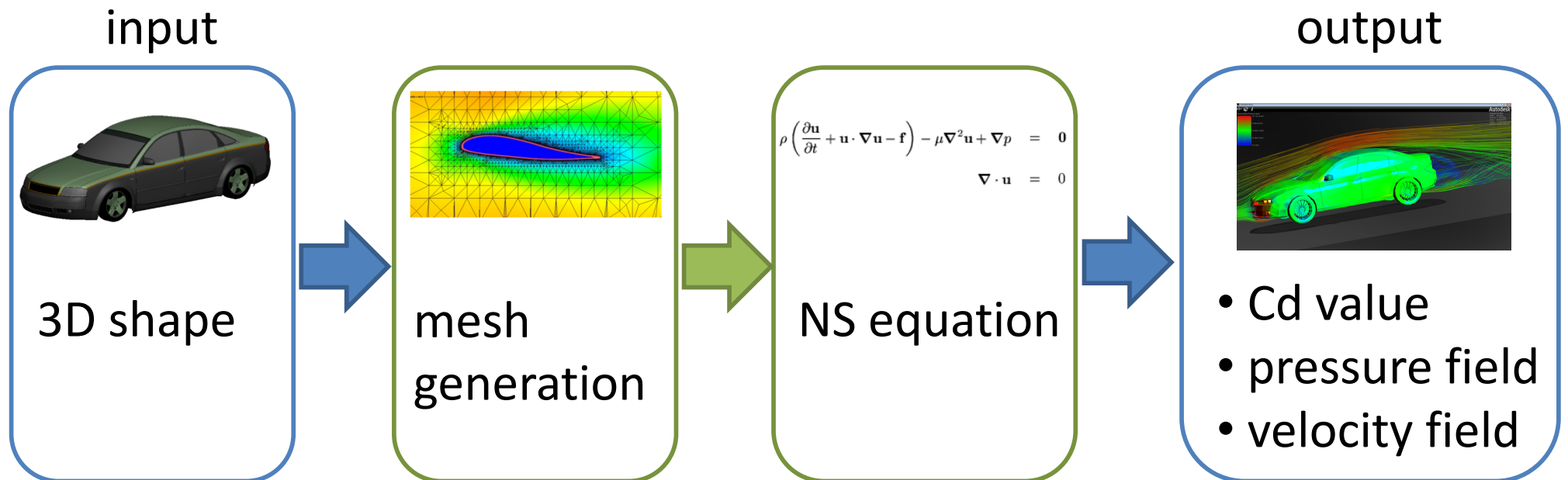
Aerodynamics is Important



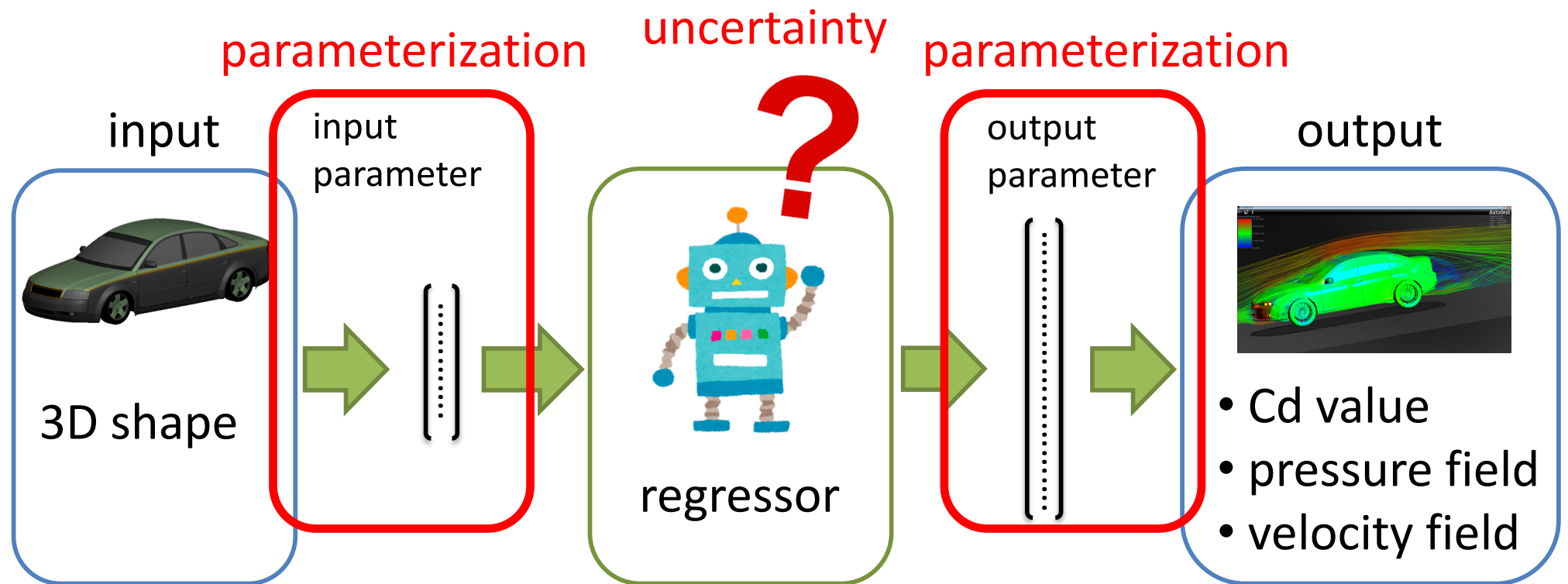
Images from Shutterstock and PixaBay

Computational Fluid Dynamics

- Traditional workflow is expensive & slow

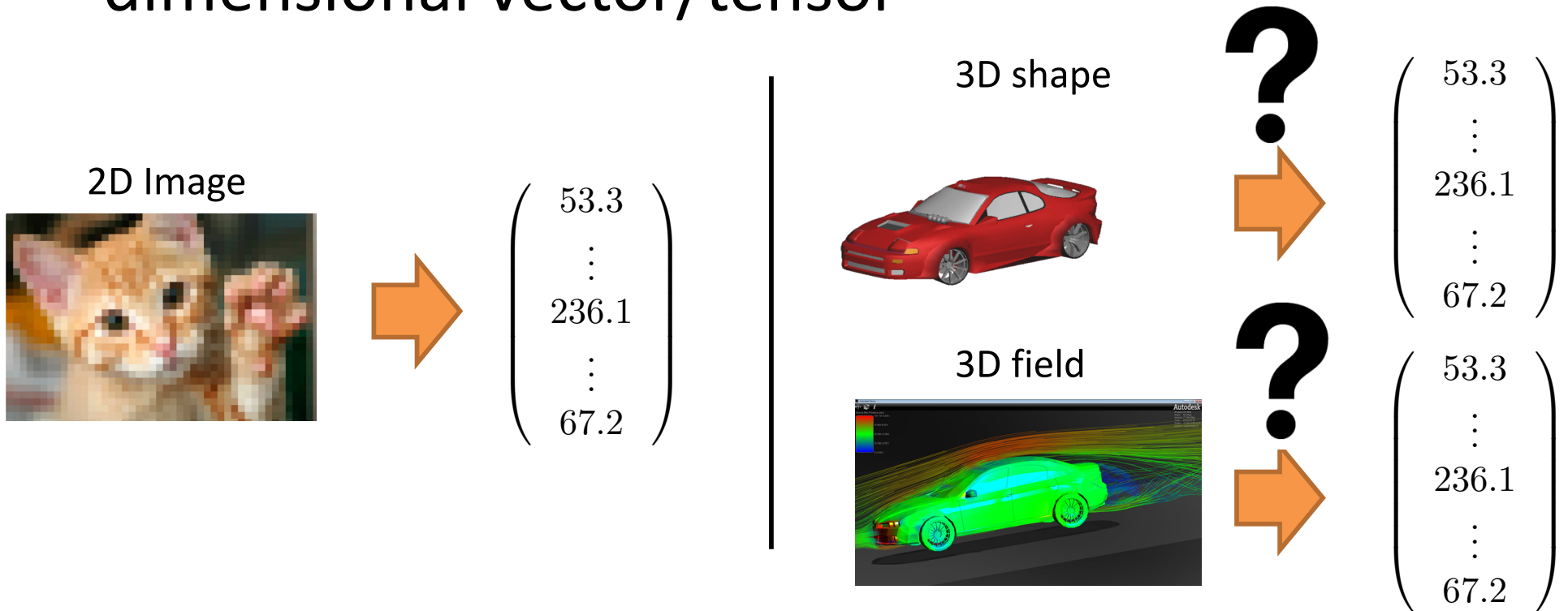


Replacing CFD with ML



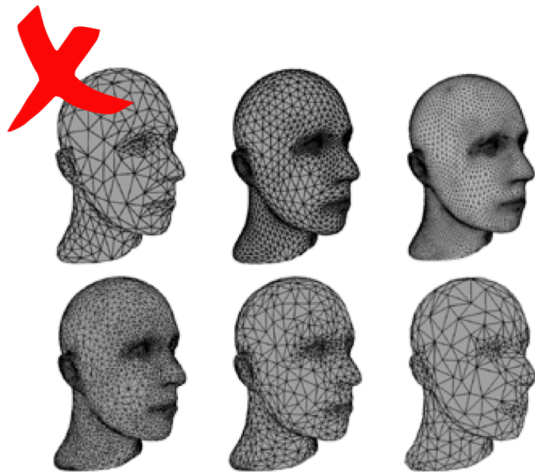
Parameterization Problem

- Shape need to be represented by fixed dimensional vector/tensor

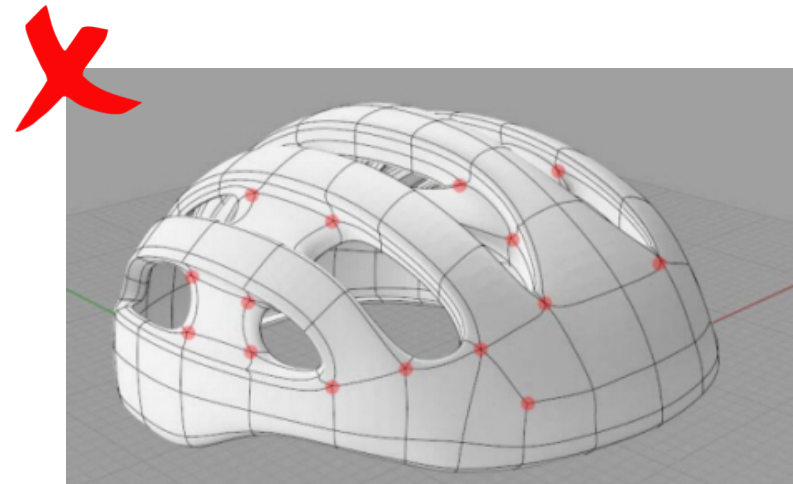


Parameterization Problem

- Triangle mesh / NURBS are **not suitable** for ML
 - Topology / #points are not constant



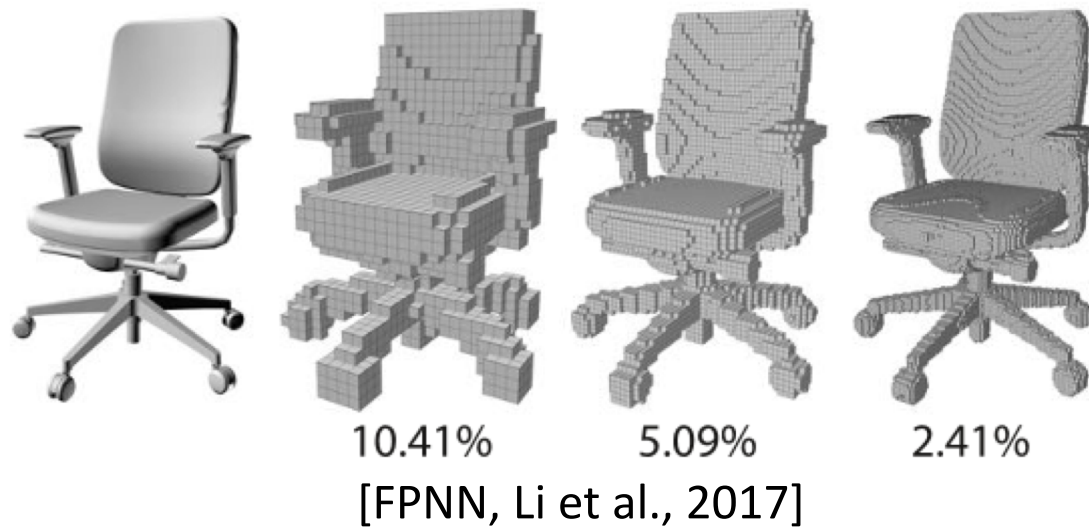
Triangle mesh



NURBS

Related Work: Voxel Model

- Difficult to handle **detailed** 3D shape

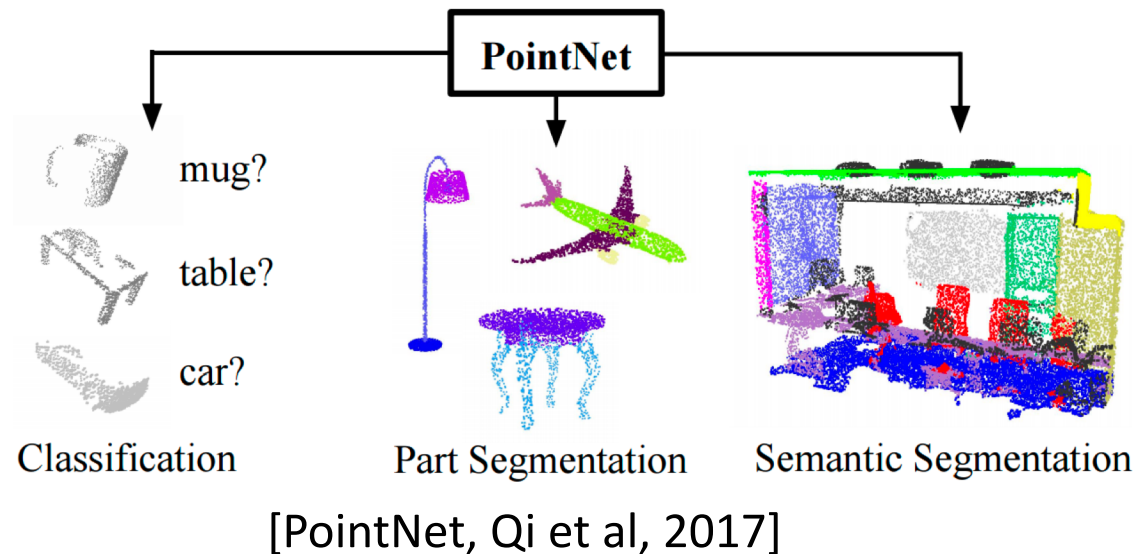


[3D GAN, 2016] [Girdhar et al., 2016] [O-CNN, Wang et al., 2017]

[liu et al., 2017] [OctNet, Riegler et al., 2017]

Related Work: Point-based Model

- Ordering of the point is not consistent



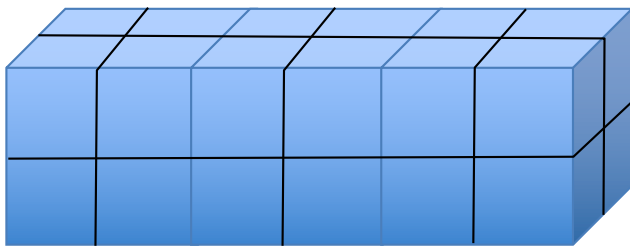
[PointNet++, Qi et al, 2017] [Gadelha et al.,2017]

[DeformNet, Kurenkov et.al, 2017] [Fan et al, 2017]

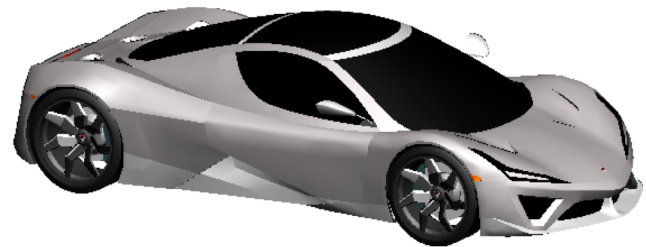
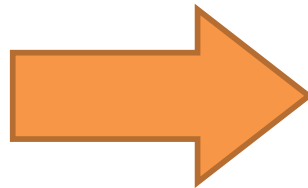
Our Approach: Mesh Representation

- PolyCube as a template quad mesh
- Deforming the quad mesh into the input shape

designing PolyCube



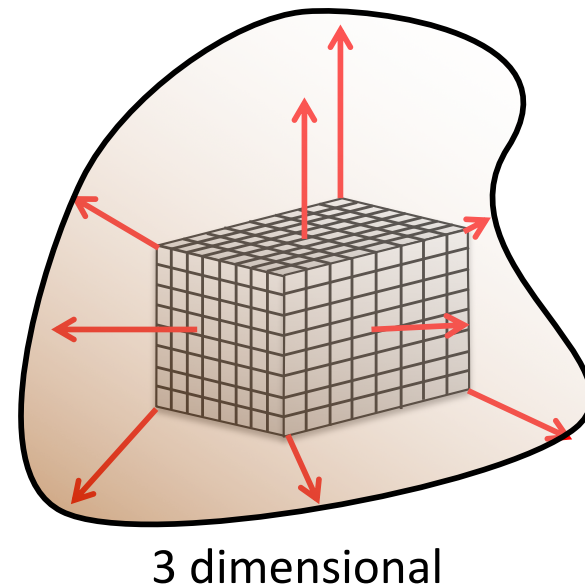
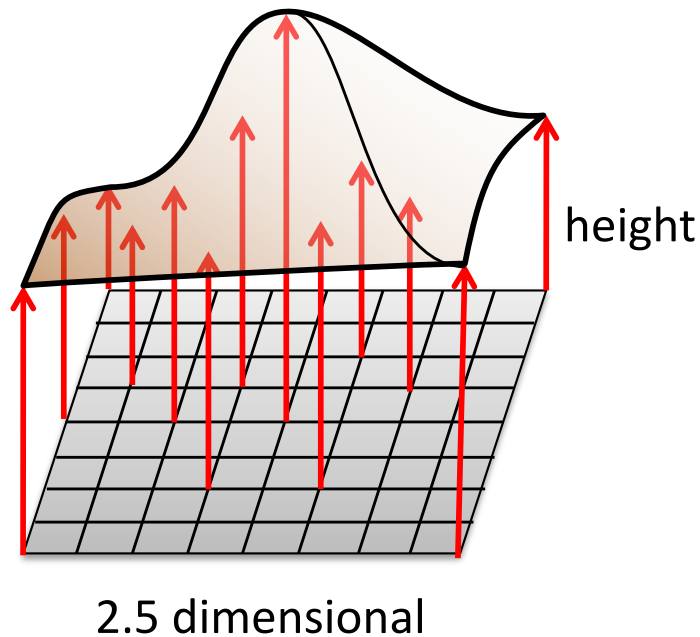
deformation



3D Shape as “Height Field”

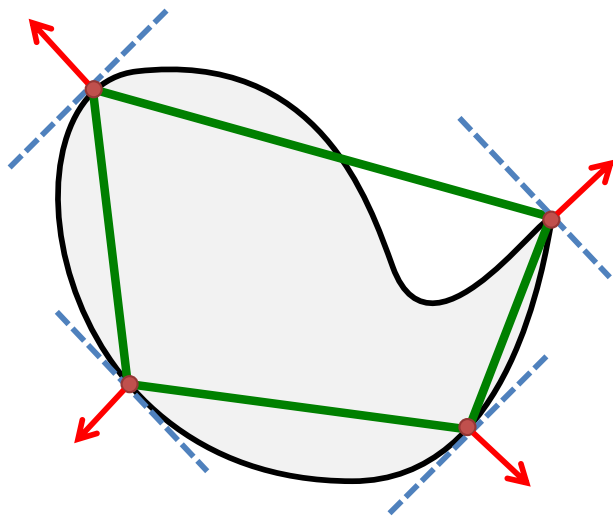
- “Height field” from a PolyCube in normal directions

[Umetani 2018], Normal Meshes [Guskov et al. 2000]

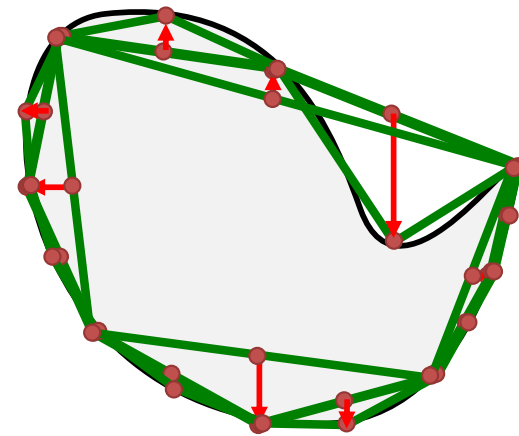
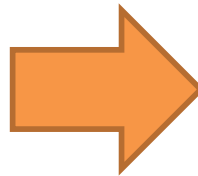


Hierarchical Projection

- We repeat subdivision and projection
- Key observation: concave shape is locally convex



initialization

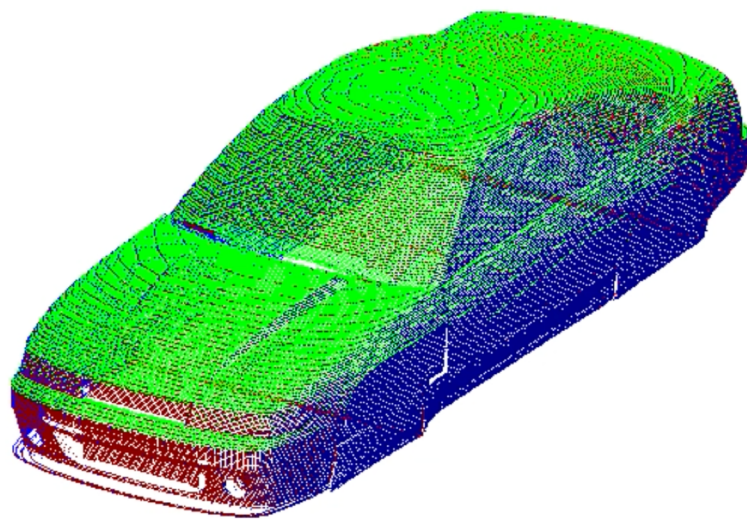


subdivision & projection

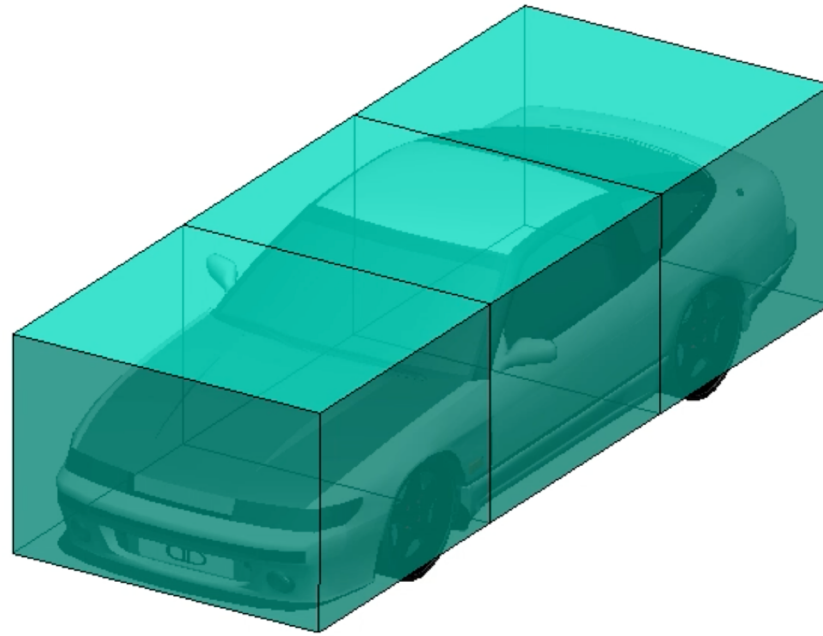
Parameterization Example



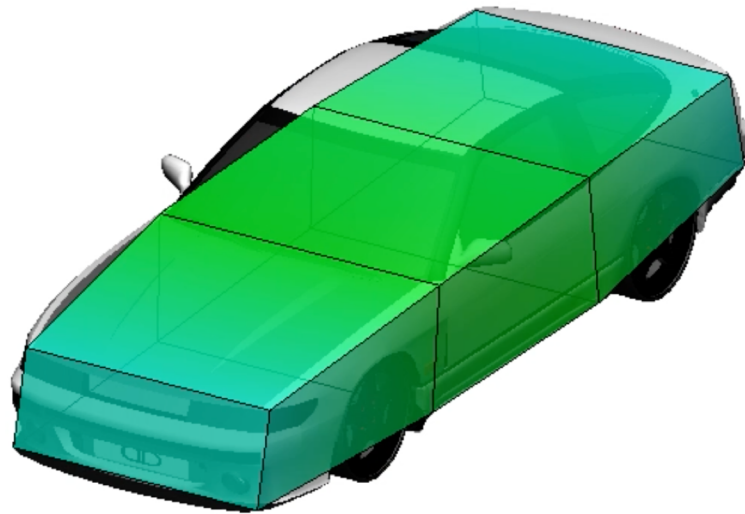
Parameterization Example



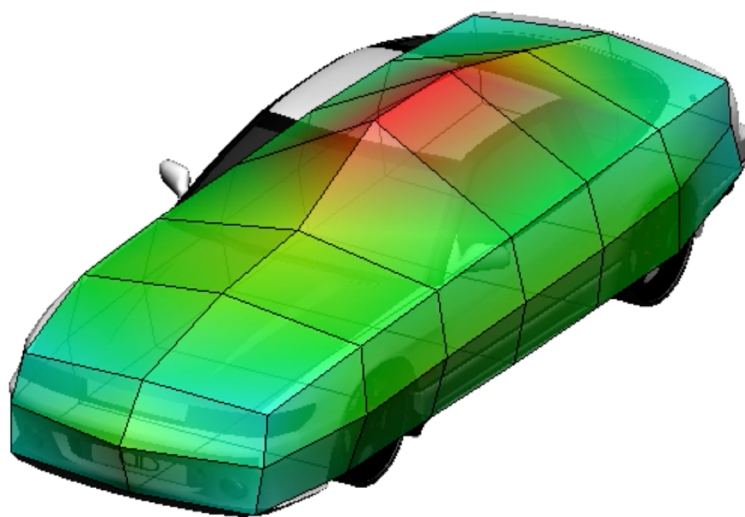
Parameterization Example



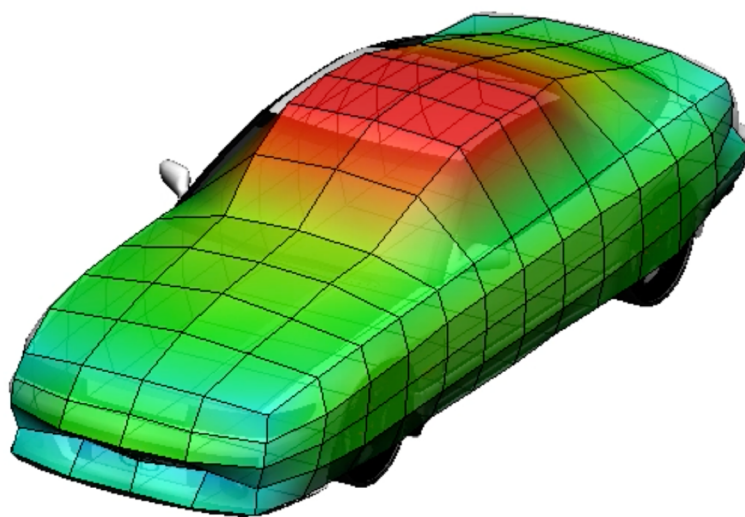
Parameterization Example



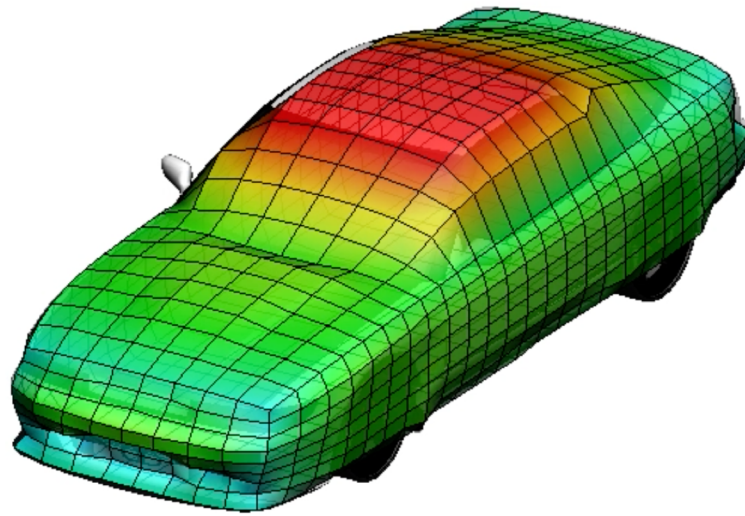
Parameterization Example



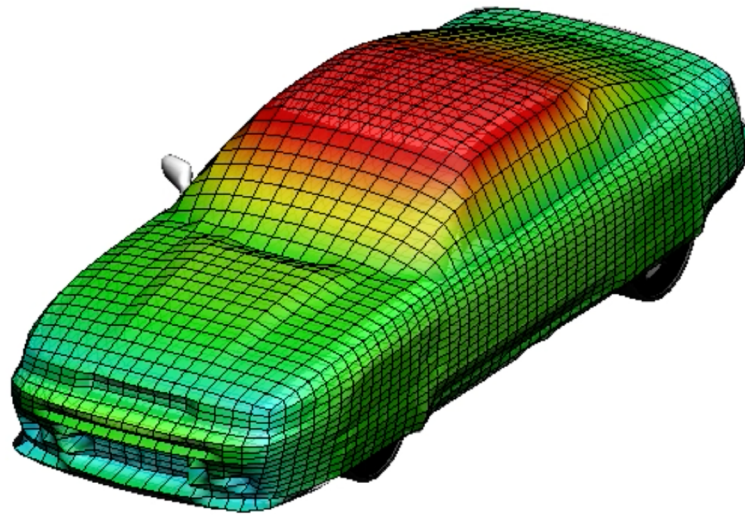
Parameterization Example



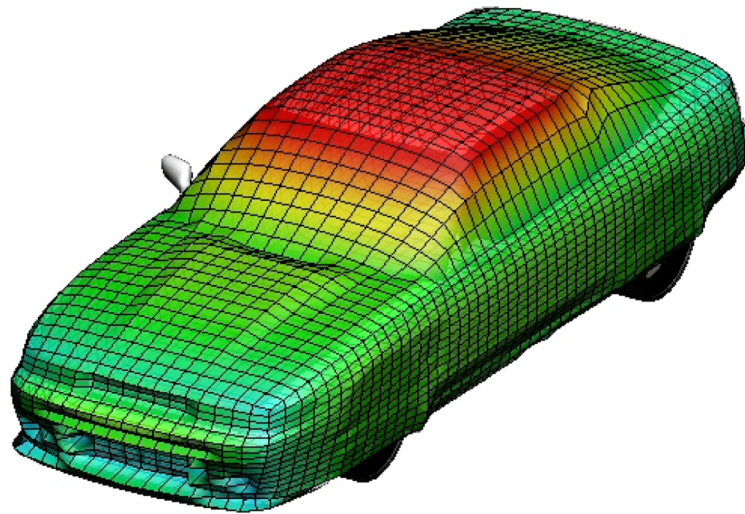
Parameterization Example



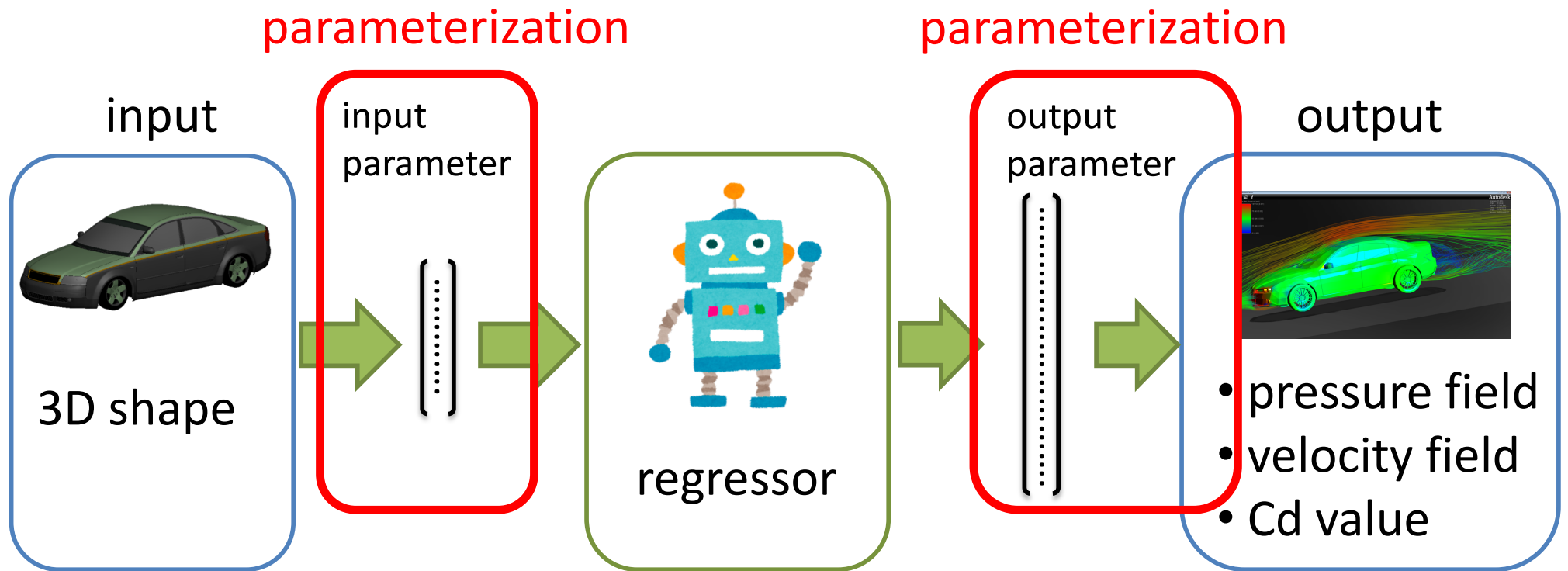
Parameterization Example



Parameterization Example

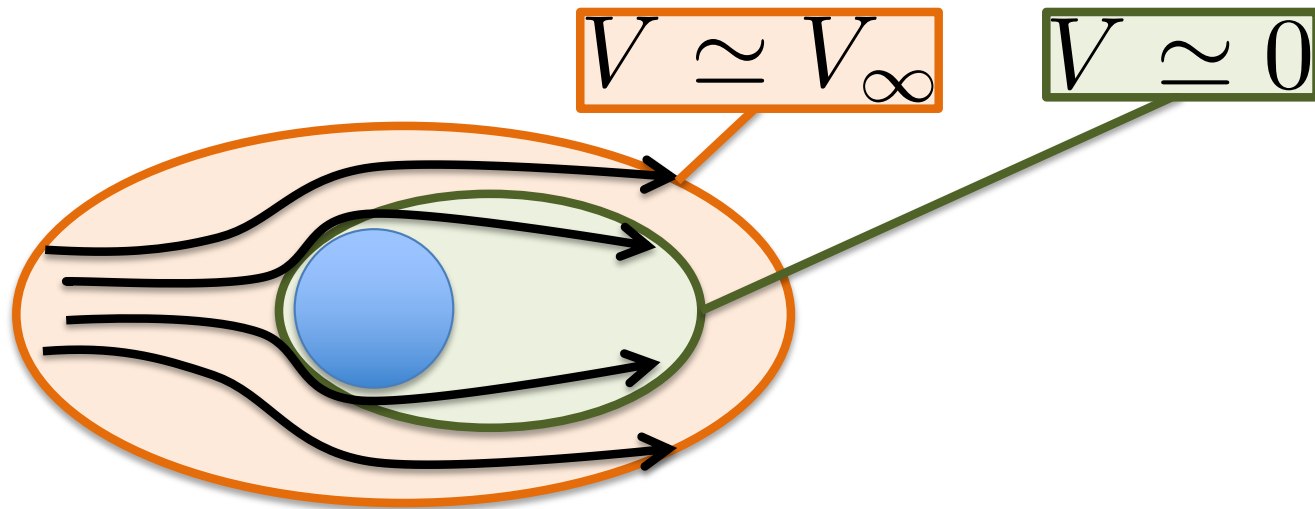


Overview of Our Approach



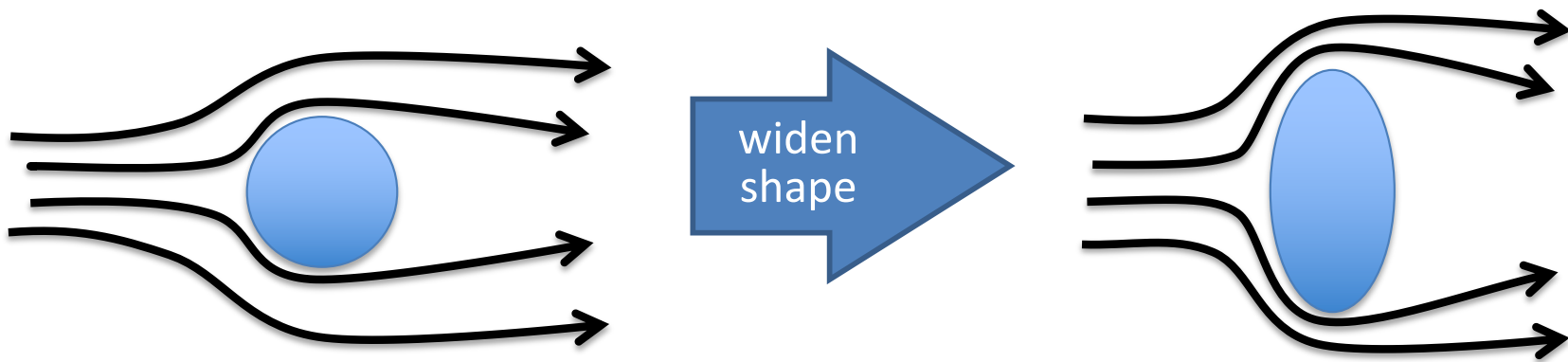
Challenge for Velocity Field Learning

- Velocity changes rapidly at the boundary



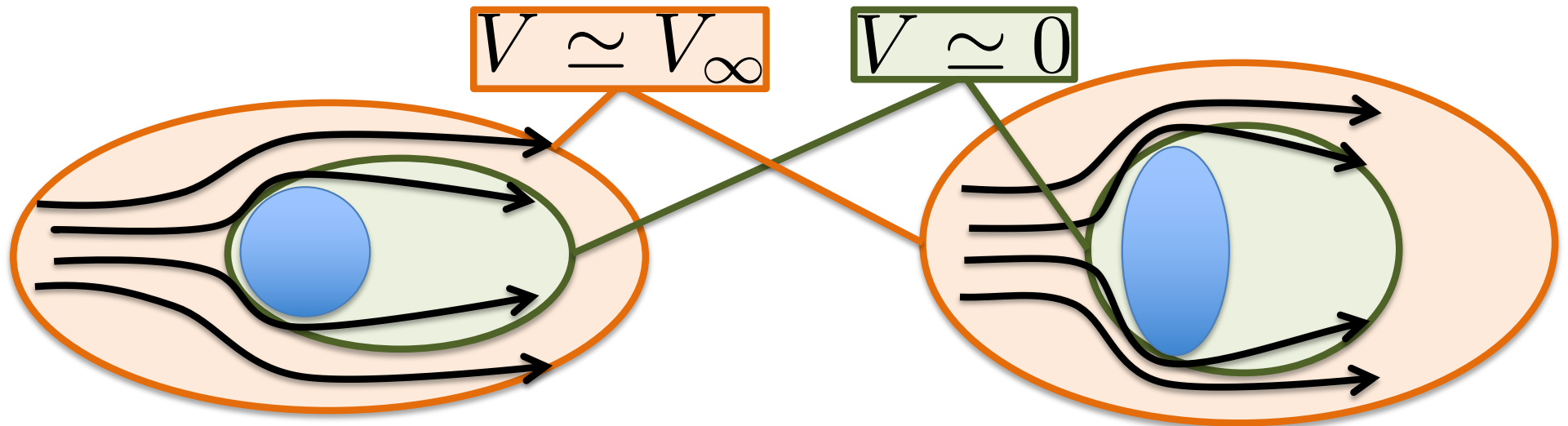
Challenge for Velocity Field Learning

- Velocity changes rapidly at the boundary



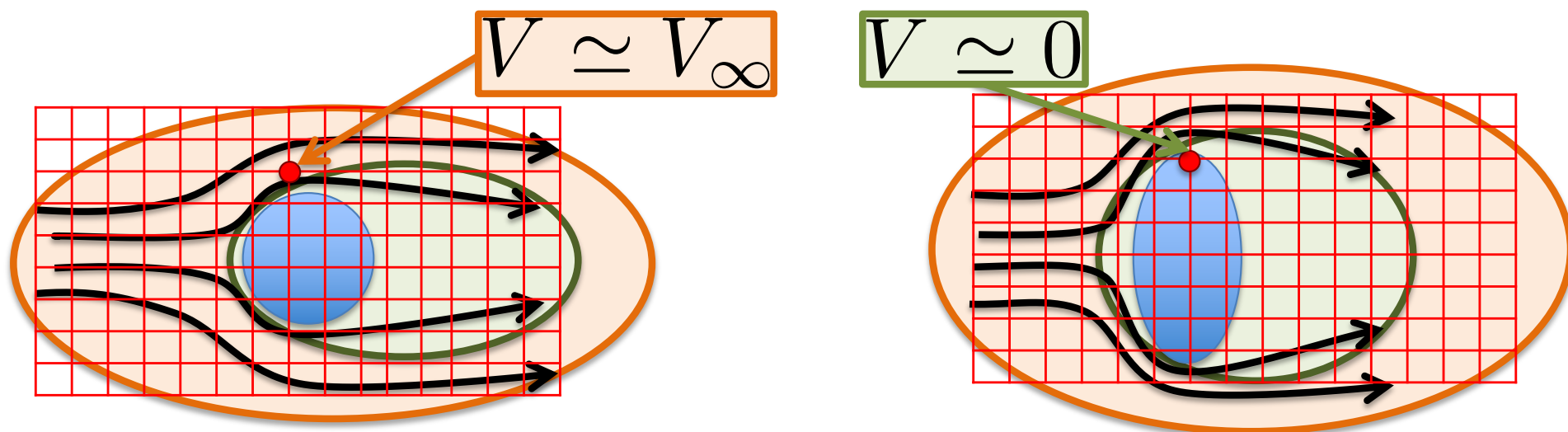
Challenge for Velocity Field Learning

- Velocity changes rapidly at the boundary



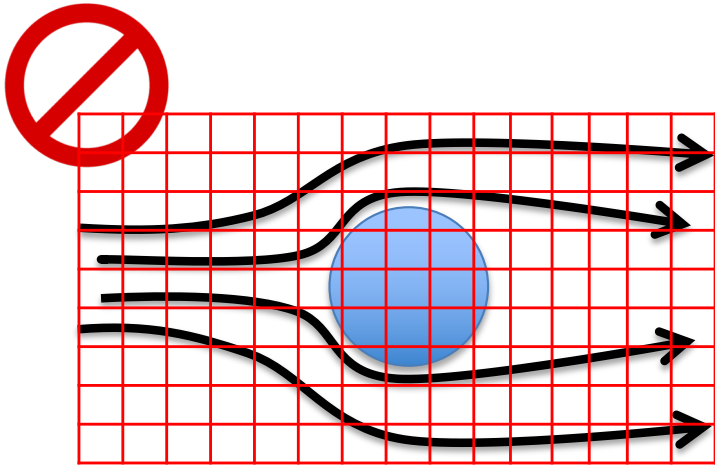
Challenge for Velocity Field Learning

- Regular grid has too much nonlinearity



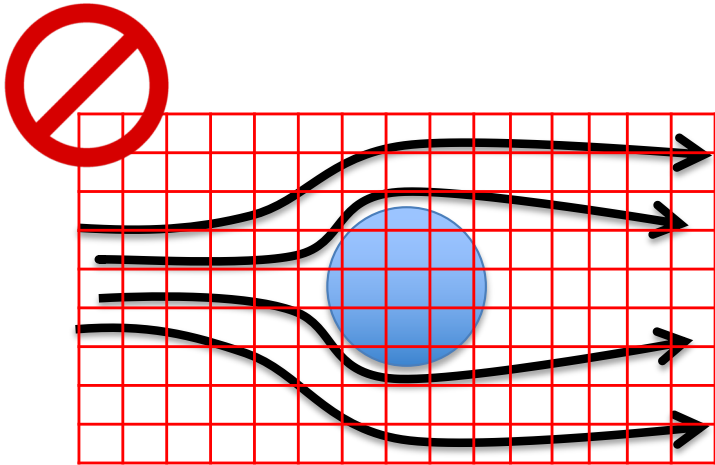
Parameterization of the Velocity Field

We cannot use fixed grid

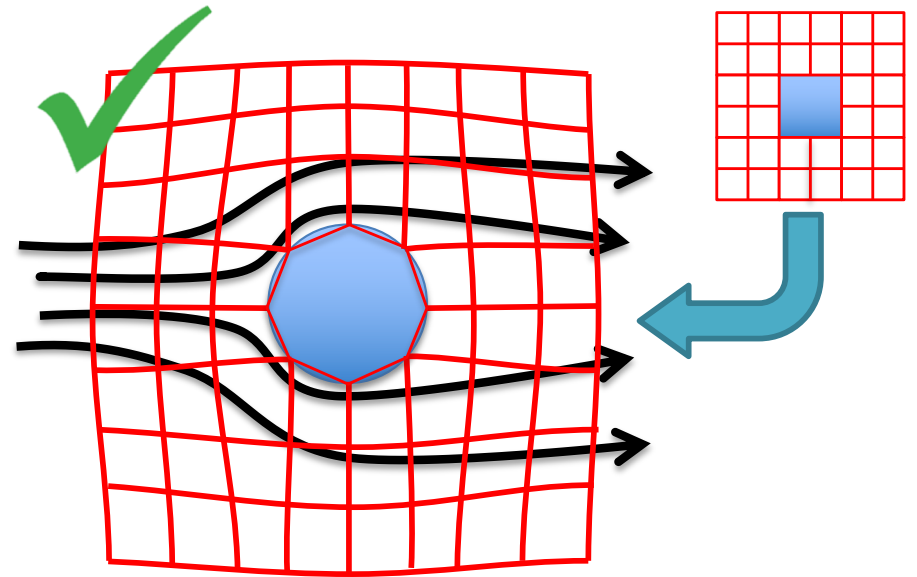


Parameterization of the Velocity Field

We cannot use fixed grid



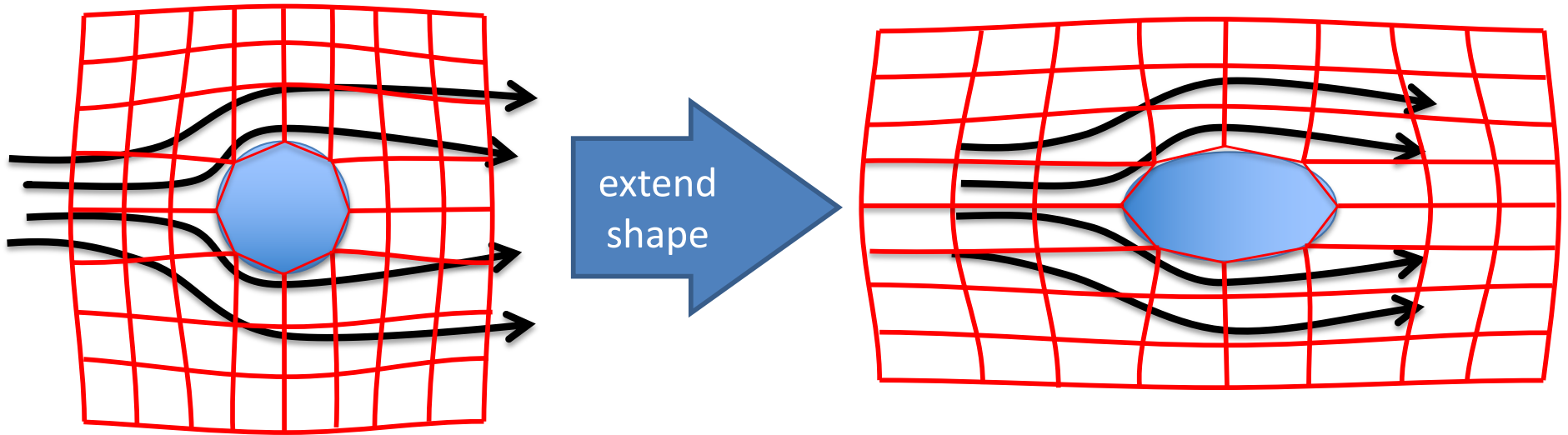
We use conformable grid



Parameterization of the Velocity Field

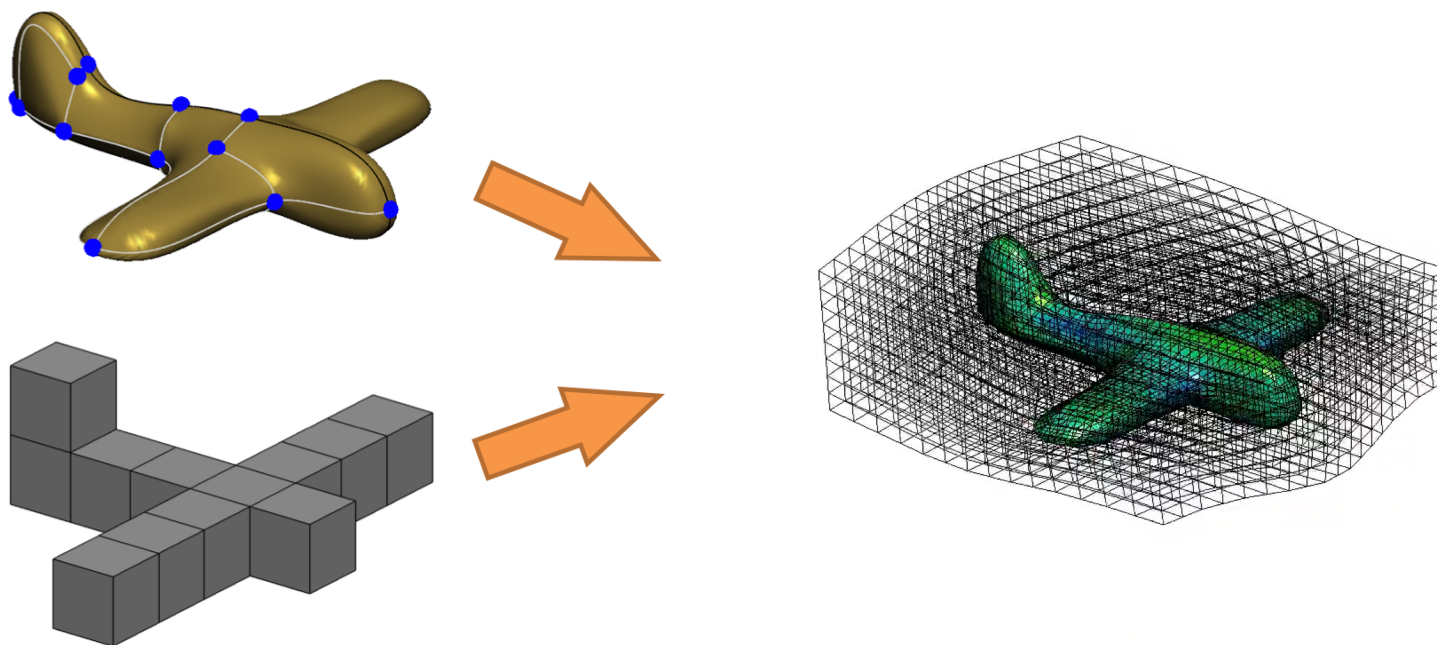
- Continuous representation of velocity field 😊

3D Mean Value Coordinate [Tao et al, 2005]



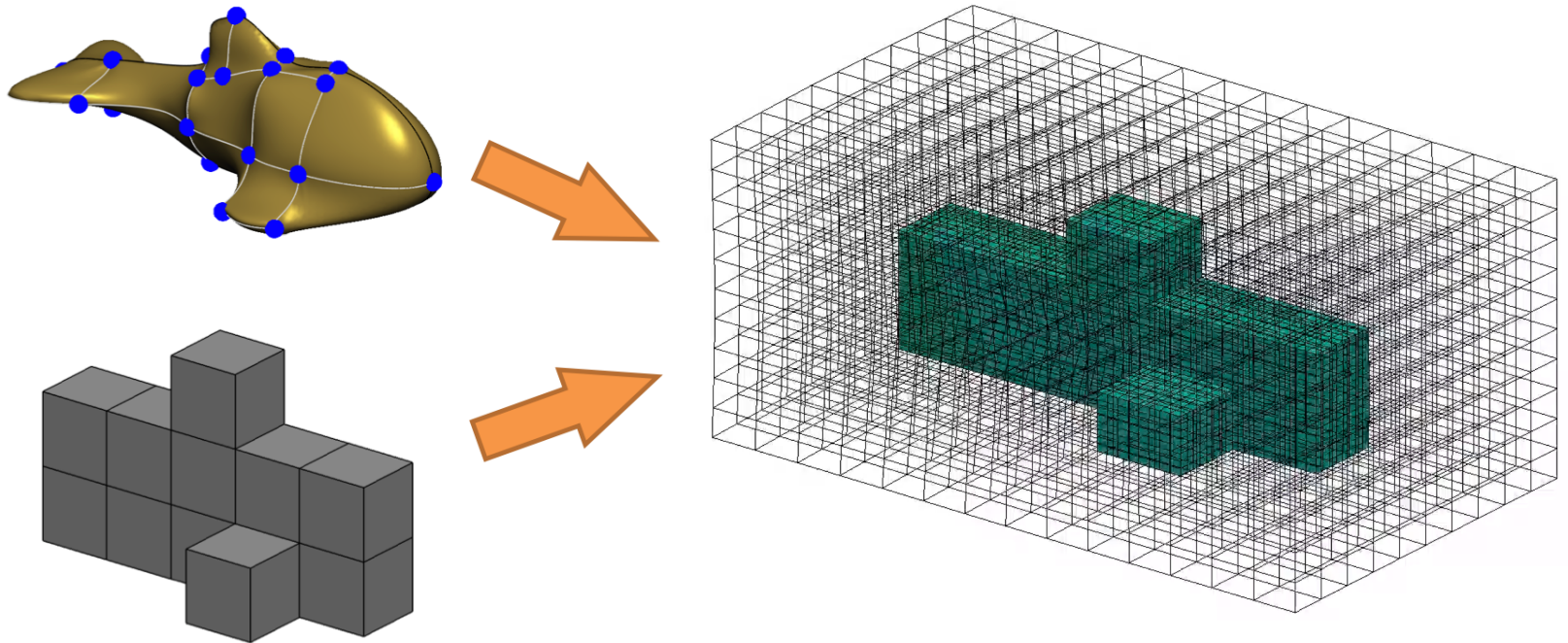
Parameterization Result

Airplane

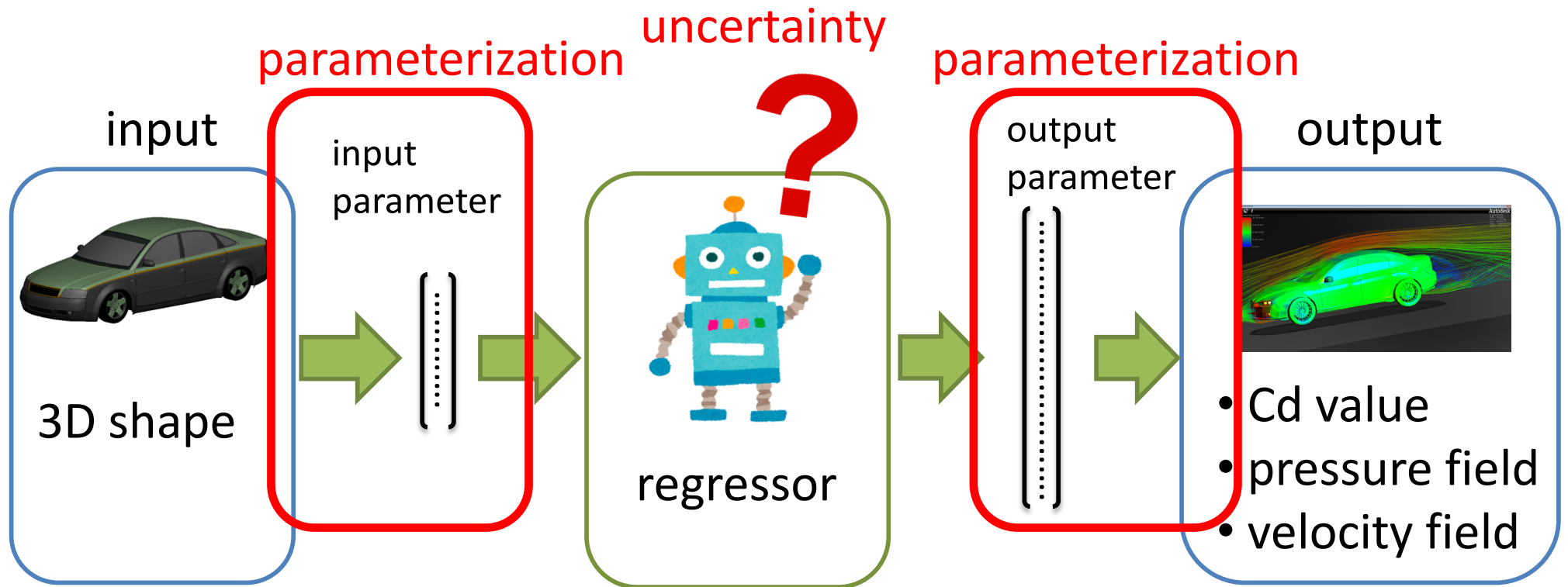


Parameterization Result

Dolphin



Challenges



Challenges

$$C_d \propto F/A$$



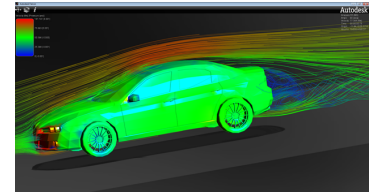
F : drag force



A : area

output
parameter

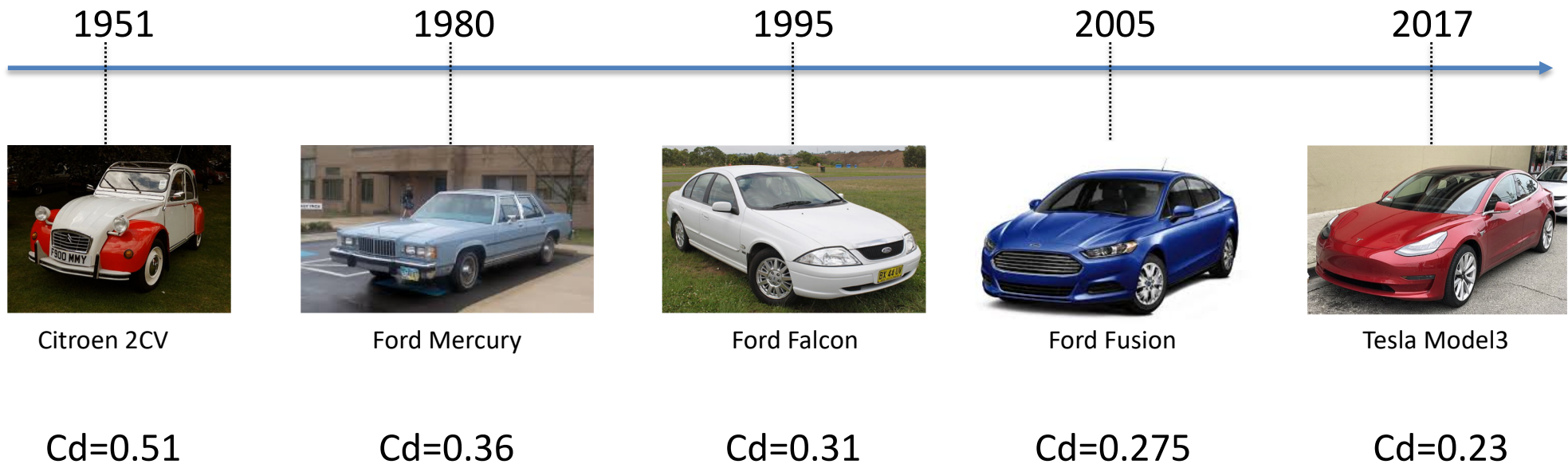
output



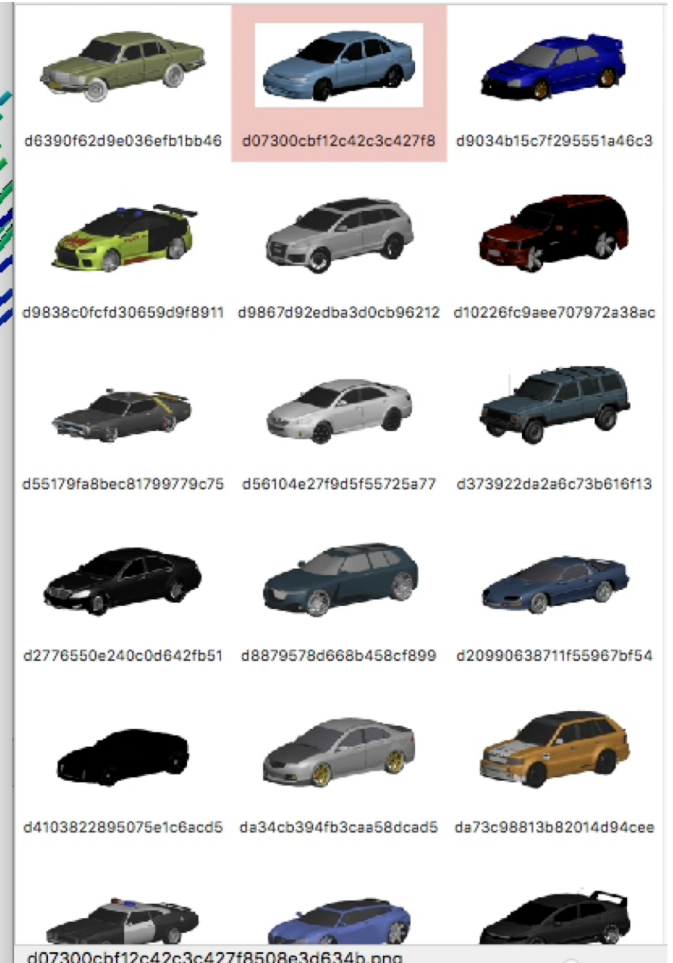
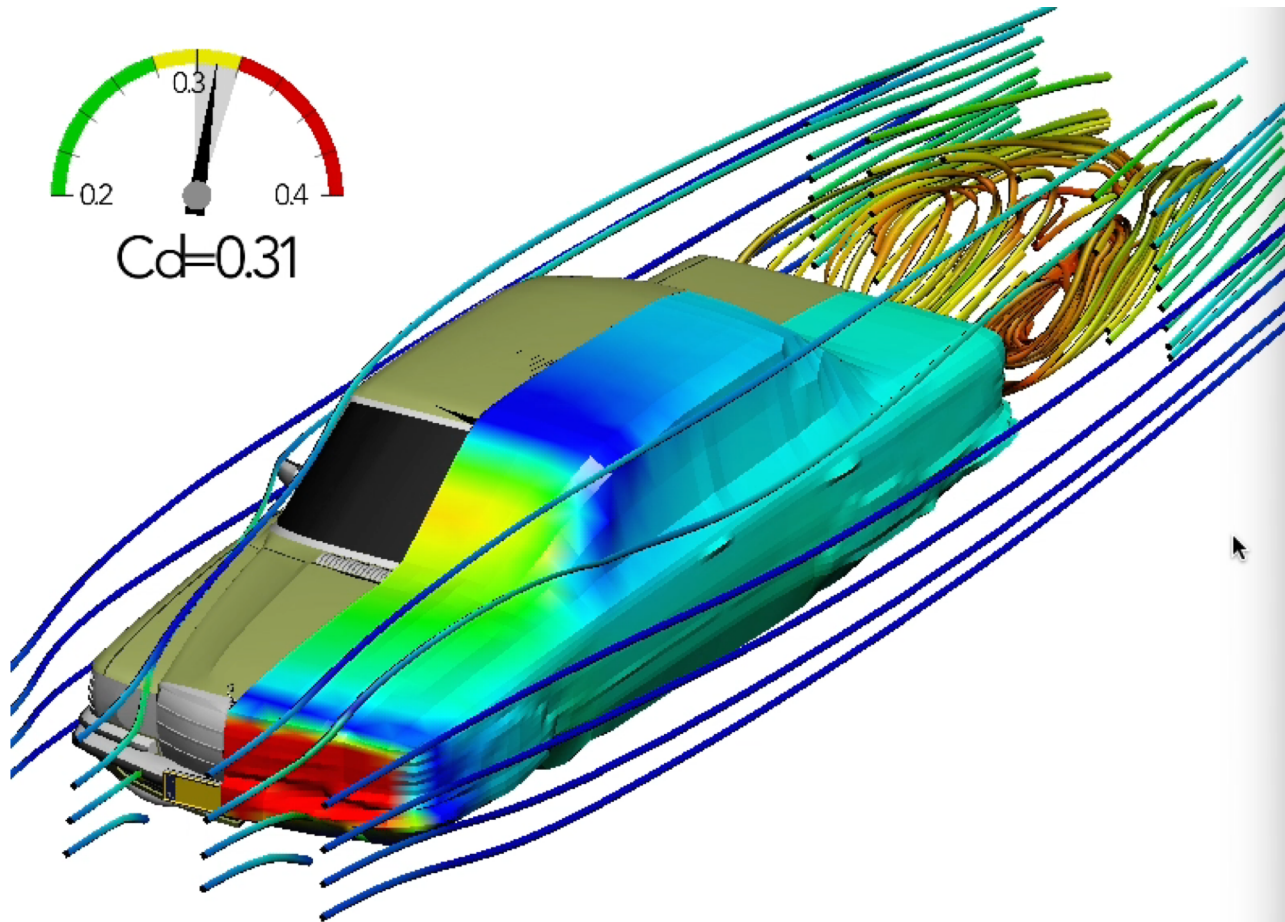
- Cd value
- pressure field
- velocity field

Cd Value is Important

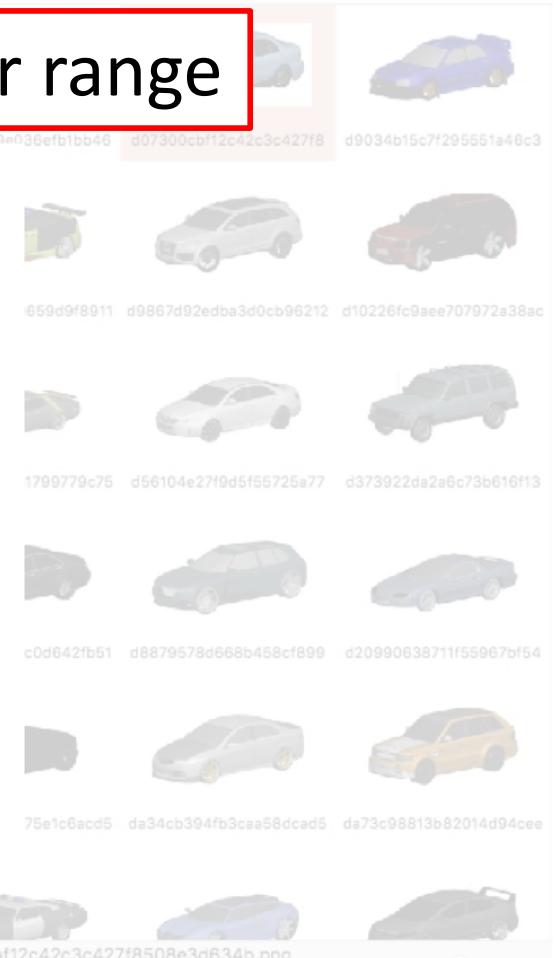
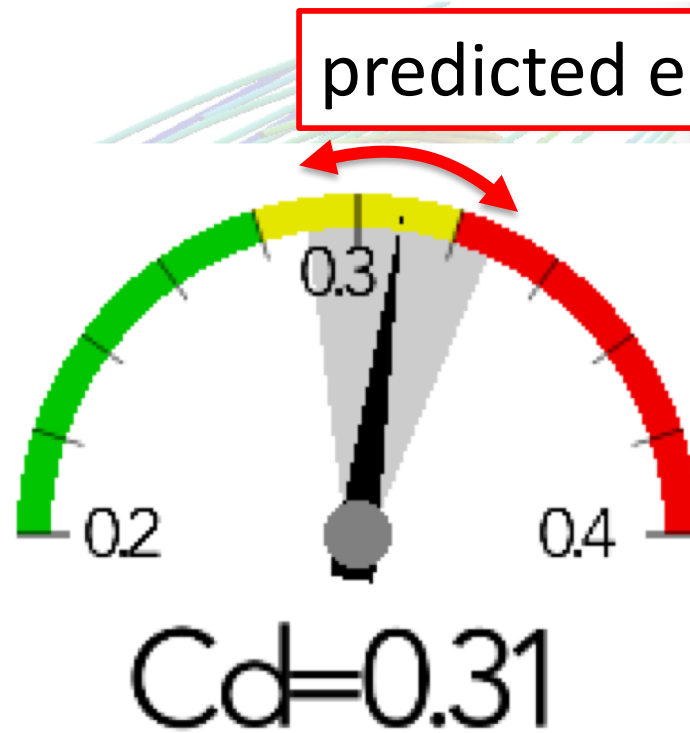
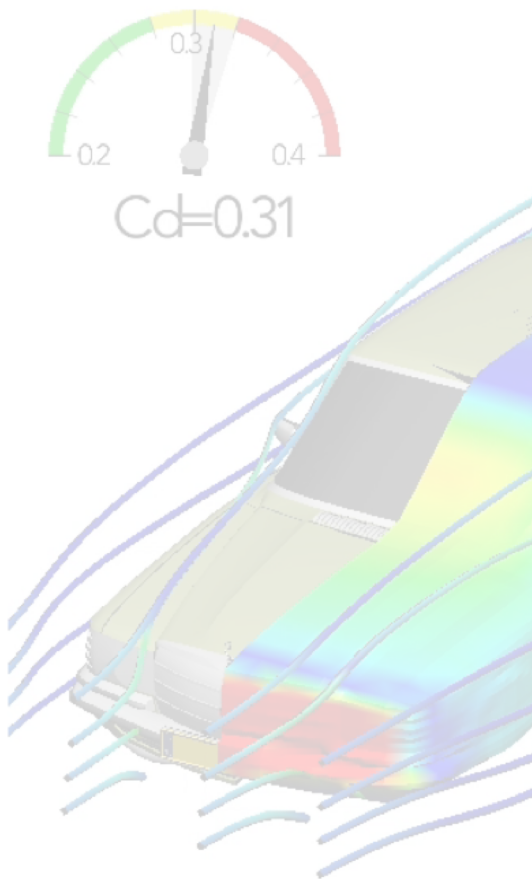
- Car design is strongly influenced by the Cd value



Preview of Result



Preview of Result



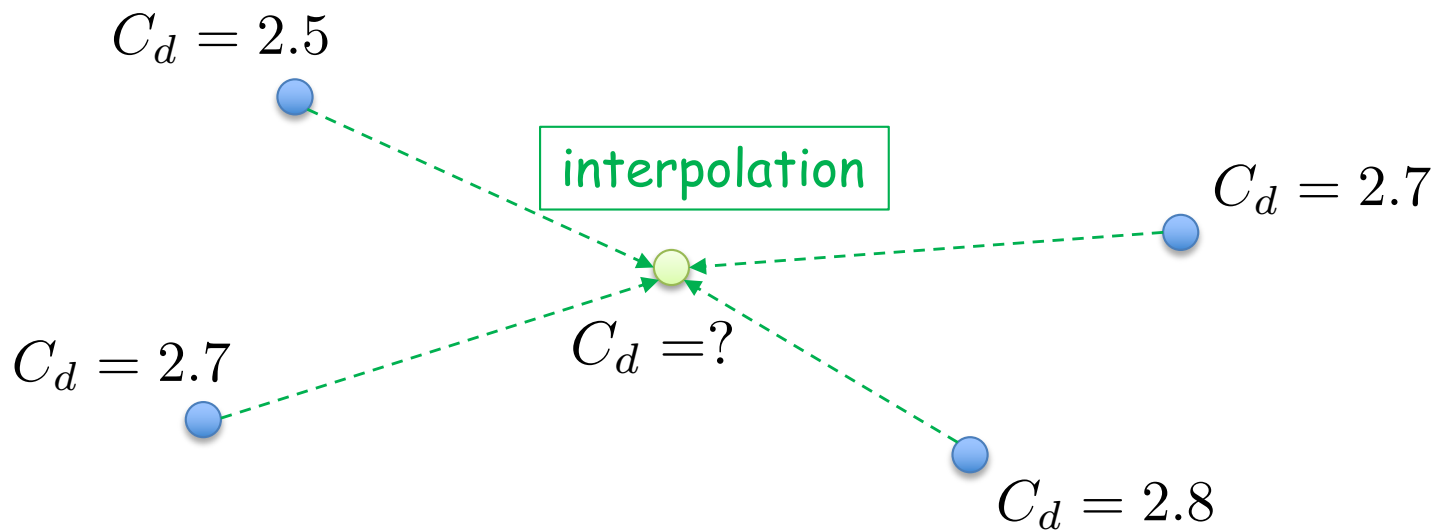
Regression: Gaussian Process(GP)

- GP: non-parametric Bayesian regression model
 - Handles nonlinearity well 😊
 - Learning from few samples without over-fitting 😊
 - Prediction of error 😊

Regression: Gaussian Process(GP)

- GP: **non-parametric** Bayesian regression model

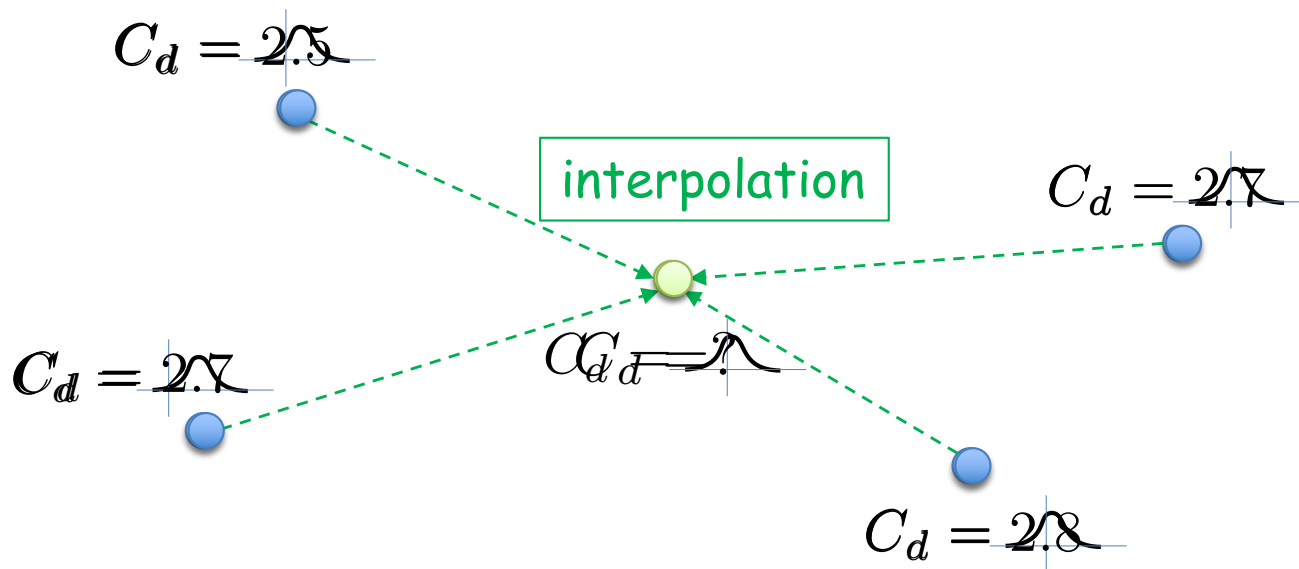
Interpolation weight is determined by distances



Regression: Gaussian Process(GP)

- GP: non-parametric **Bayesian** regression model

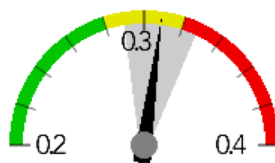
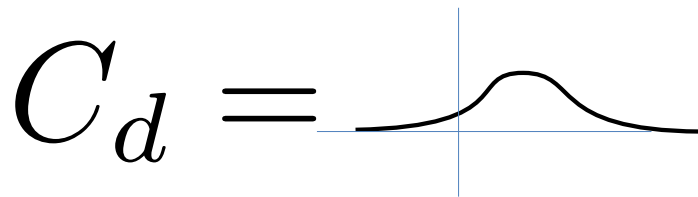
Covariance (similarity of the distributions) is determined by distances



Regression: Gaussian Process(GP)

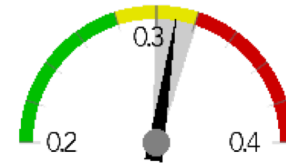
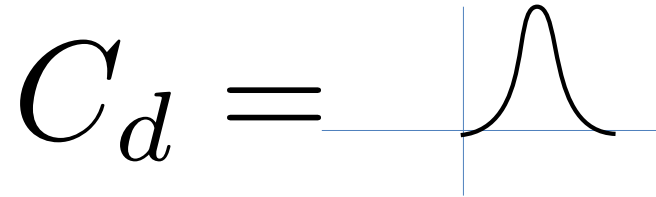
- Standard deviation gives how “confident” the prediction is

less confident



Cd=0.31

confident

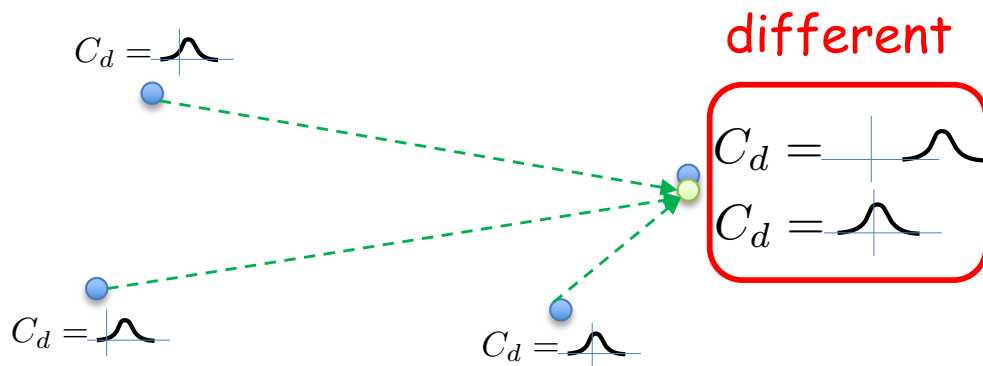


Cd=0.31

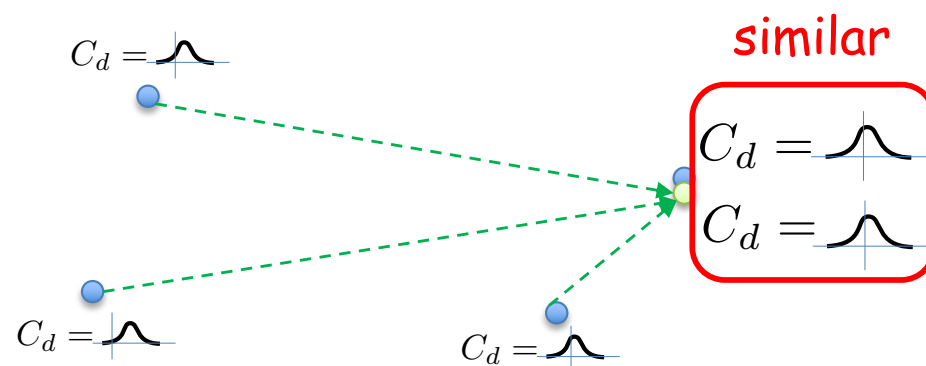
Distance Metric Optimization

- Distance metric is optimized for maximizing likelihood of the training data

bad distance metric



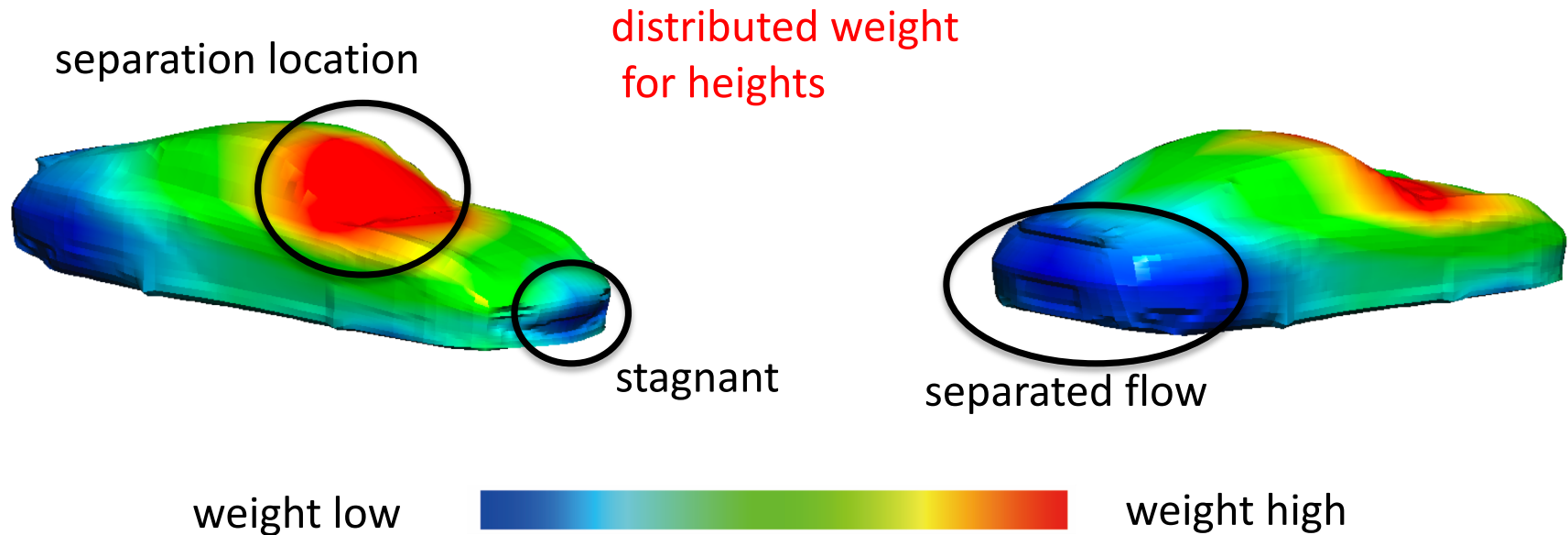
good distance metric



The Weights in the Distance Metric

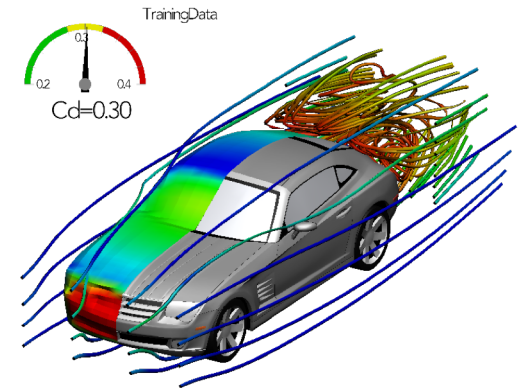
$$Distance(\mathbf{h}_0, \mathbf{h}_1) \propto ||\mathbf{w}(\mathbf{h}_0 - \mathbf{h}_1)||$$

height difference



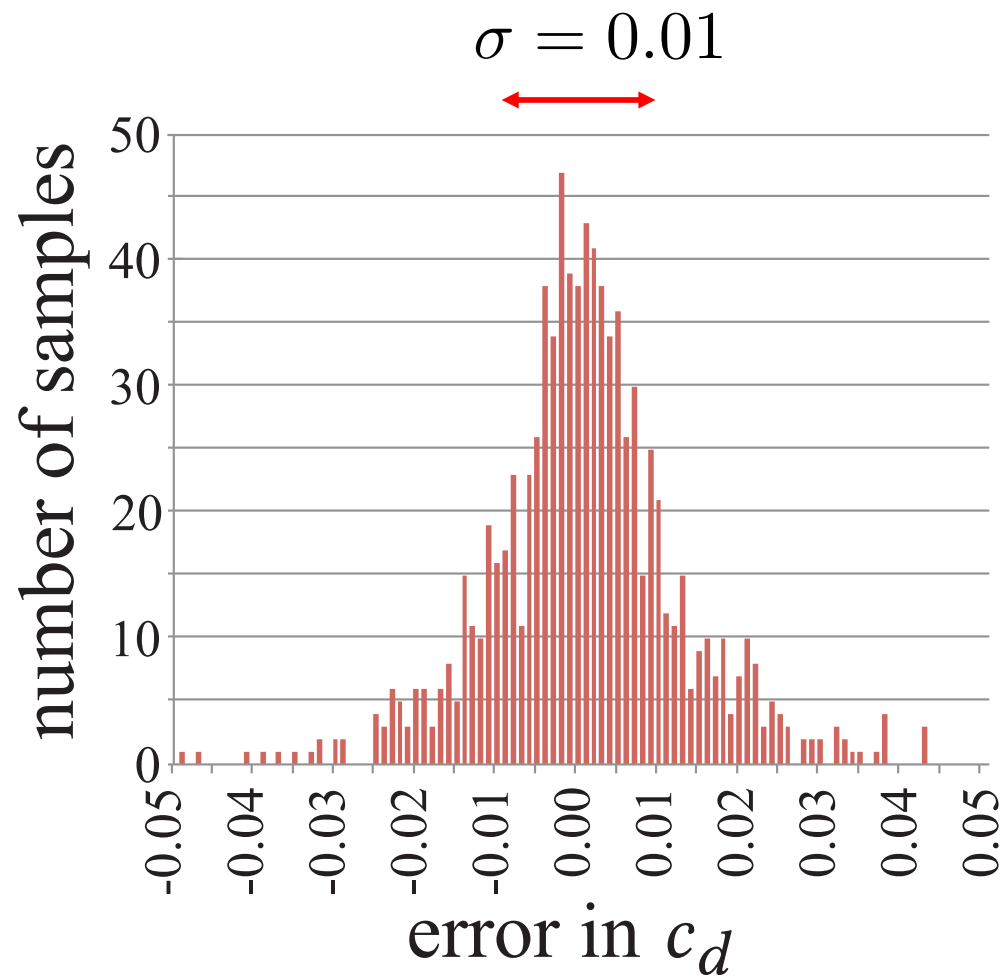
Training Data

- 889 CFD simulation for car shapes from ShapeNet
- Each simulation takes 3 hours computed on Amazon AWS
- All data available



<http://www.nobuyuki-umetani.com/>

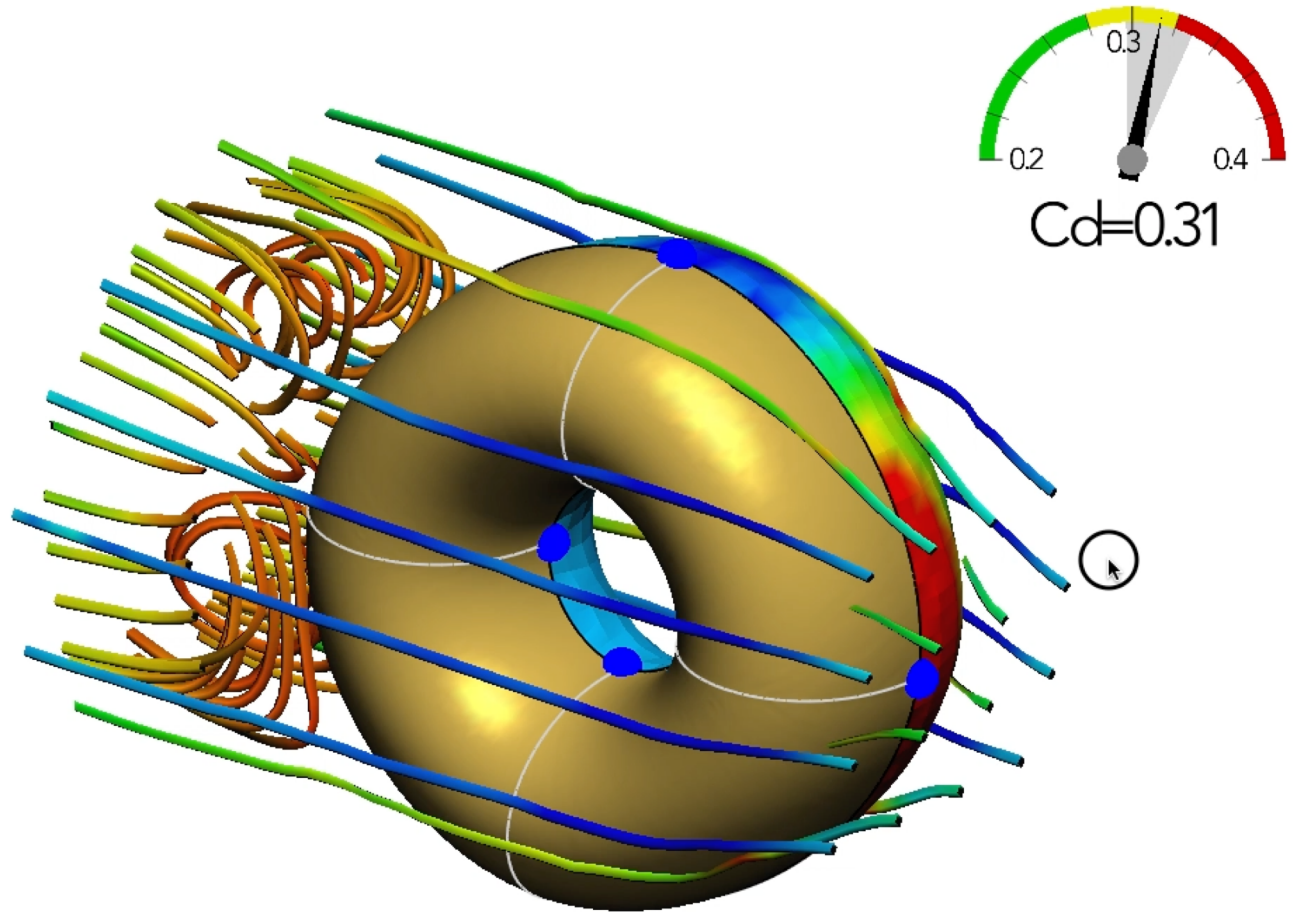
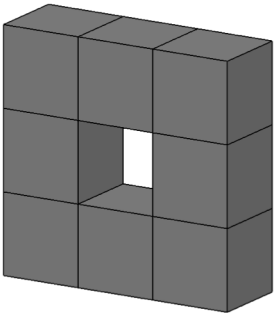
Accuracy



Live Demo!

Shape with Genus One Topology

PolyCube



3D Printed Hood Ornament





Limitations

- Prediction limited by training data
- Highly concave shape



side mirror



spoiler

Future Work

- Convolution operation on the PolyCube
- Application to more complex phenomena
 - thermal convection, acoustics

Acknowledgement

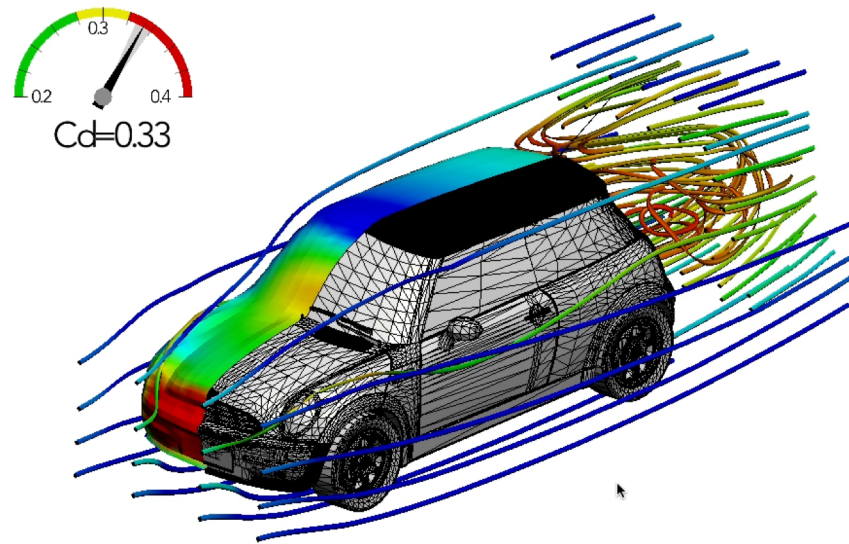
- Anonymous reviewers
- Alec Jacobson, Ryan Schmidt, Eitan Grinspun

Funding:

- European Research Council (ERC) No 715767 -- MATERIALIZABLE



Learning Three-dimensional Flow for Interactive Aerodynamic Design



Nobuyuki Umetani, Bernd Bickel